## basics, measurement and modelling of BRTF

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#### **Outline**

- 1 basics
  - introduction
  - photometrics reloaded
- 2 BRTF math
  - BRTF definition
- 3 gonio-photometers
  - incidence light
  - sample mount
  - detector system
- 4 BRTF data and models
  - example data BRTF
  - asymmetric in/out angular resolution
- 5 getting BRTF into Radiance
  - paths
  - BRTF models
  - example: model fits in 1994
  - what Radiance is missing

#### name

- BRTF = bidirectional reflection transmission function
- BSDF = bidirectional scatter distribution function
- Bxxx = .. whatever..

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all the same quantity: scattering of light at a surface

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  - 5 compare materials by BRTF data

#### solid angle

- solid angle of an object as seen from point P: project object onto sphere with radius r around P  $\Omega := \frac{A_p}{r^2}$
- unit: steradian [sr]
- dimensionless, full sphere:  $4\pi$ , hemisphere:  $2\pi$
- infinitesimal:  $d\Omega$ , finite:  $\Omega$  or  $\Delta\Omega$
- solid angle of a cone with opening angle  $\alpha$ :

$$\Omega_{cone}=2\pi\left(1-\cosrac{lpha}{2}
ight)$$

## radiant power

basic unit: power transported by electromagnetic radiation

as described within concept of *photometry* (sometimes known as *radiance flux*)

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#### three spectral flavours:

- spectrally integrated: radiometric [Watt]
- spectrally resolved: power per wavelength interval [Watt/nm]
- weighted by eye response and integrated: photometric [Lumen]

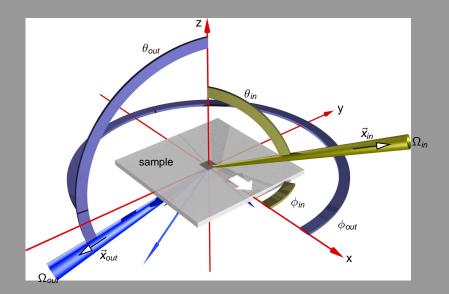
# derived quantities

#### quantities used most often:

- $\blacksquare$  radiant power per area:  $\mathcal{E}$  [Watt/m2]
- radiant power per solid angle [Watt/sr] (Radiant Intensity)
- radiant power per solid angle and projected area,  $\mathcal{L}(\vec{x})$ , [Watt/(sr\*m<sup>2</sup>)] (*Radiance*)

... and equivalent photometric units

## coordinate system



#### coordinate system

advantages of using these sample coordinates:

- standard polar coordinates
- one BRTF for front and back side of sample
- z-axis: surface normalx-axis: marked on sample
- $\Box$  direction written as  $\vec{x}$  or  $(\theta, \phi)$

With incident light on the *front* surface:  $\theta_{in} = (0^{\circ}...90^{\circ})$ :

 $\theta_{out} = (0^o...90^o) \text{ reflection,}$  $\theta_{out} = (90^o...180^o) \text{ transmission.}$ 

Other coordinates possible, use transformations.

#### demo

it's all easy ...

$$\begin{split} \text{Definition} \\ \mathcal{L}_{out}(\vec{x}_{out}) &= \int\limits_{\vec{x}_{in}}^{\Omega_{in} = 2\pi} \textit{BRTF}(\vec{x}_{out}, \vec{x}_{in}) \; \mathcal{L}_{in}(\vec{x}_{in}) \; \cos(\alpha_{in}) \; \textit{d}\Omega_{in} \end{split}$$

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- $\square$  cos( $\alpha_{in}$ ): historic nuisance (*Lambert* scatterer)

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- $\square$  BRTFc( $\vec{x}_{out}, \vec{x}_{in}$ ) := BRTF( $\vec{x}_{out}, \vec{x}_{in}$ )cos( $\alpha_{in}$ )

#### approximate formula

$$\mathcal{L}_{out}(\vec{\mathbf{x}}_{out}) = \int_{\vec{\mathbf{x}}_{in}}^{\Omega_{in}=2\pi} \frac{\mathsf{BRTF}(\vec{\mathbf{x}}_{out}, \vec{\mathbf{x}}_{in}) \, \mathcal{L}_{in}(\vec{\mathbf{x}}_{in}) \, \cos(\alpha_{in}) \, d\Omega_{in}}{\mathsf{D}_{in}}$$
(1)

- oxdot assume  $\mathcal{L}_{in} > 0$  for small  $\Omega_{in}$  around  $\vec{x}_{in}^*$  only
- $\square$  and assume *BRTF* = *const* over  $\Omega_{in}$

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- then, and only then

$$BRTF(\vec{x}_{out}, \vec{x}_{in}^*) \approx \frac{\mathcal{L}_{out}(\vec{x}_{out})}{\mathcal{E}_{in}}$$
 (2)

#### But:

This approximation is misleading and should be used with caution.

#### averaged BRTF

measured BRTF is always averaged over solid angles of detector  $\Delta\Omega_{out}$  and lamp  $\Delta\Omega_{in}$ :

$$\overline{\textit{BRTF}}(\Delta\Omega_{in}, \Delta\Omega_{out}) := \frac{1}{\Delta\Omega_{in}} \int\limits_{\Delta\Omega_{out}}^{\Delta\Omega_{out}} \int\limits_{\vec{x}_{out}}^{\Delta\Omega_{in}} \textit{BRTF}(\vec{x}_{out}, \vec{x}_{in}) \ d\Omega_{in} \ d\Omega_{out} \tag{3}$$

consequences:

this limit measurement of BRTF features.

$$\rightsquigarrow$$
 minimise  $\Delta\Omega_{out}$  and  $\Delta\Omega_{in}$ 

#### transmission values from BRTF

transmission  $\tau$  from  $\Omega_{in}$  into  $\Omega_{out}$  is given by:

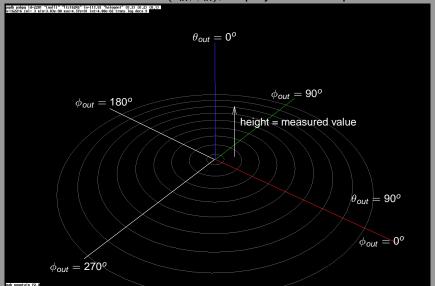
$$\tau(\Omega_{in},\Omega_{out}) = \frac{\int\limits_{\vec{x}_{out}}^{\Omega_{out}} \left\{ \int\limits_{\vec{x}_{in}}^{\Omega_{in}} \textit{BRTF}(\vec{x}_{out},\vec{x}_{in}) \mathcal{L}_{in}(\vec{x}_{in}) \cos(\alpha_{in}) d\Omega_{in} \right\} \cos(\alpha_{out}) d\Omega_{out}}{\int\limits_{\vec{x}_{in}}^{\Omega_{in}} \mathcal{L}_{in}(\vec{x}_{in}) \cos(\alpha_{in}) d\Omega_{in}} \tag{4}$$

Which for the *direct-hemispherical transmission* results in:

$$\tau_{dh}(\vec{x}_{in}) := \tau(d\Omega_{in}, 2\pi) = \int_{\vec{x}_{out}}^{2\pi} BRTF(\vec{x}_{out}, \vec{x}_{in}) \cos(\alpha_{out}) d\Omega_{out}$$
 (5)

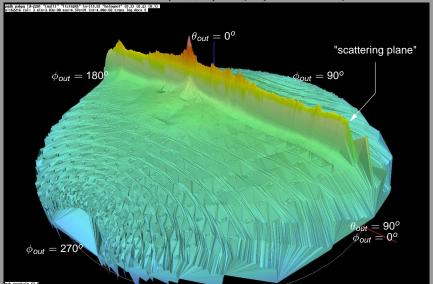
# visualising BRTF 3D

for one incident direction  $(\theta_{in}, \phi_{in})$ , display one hemisphere:



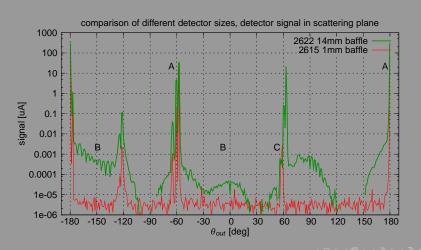
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### visualising BRTF 2D

2D cuts along scattering plane through 3D dataset I prefer Cartesian plots over polar plots. example:



#### medium sized intermission

... questions to math part ?

next to come: gonio-photometers

### light source types & parameters

beam parameter	Halogen	Xenon	laser diode	gas laser
power	+	++	-	
radiance	-	+	++	+++
noise	++	+	+	+
polychromatic	+	+	-	-
incoherent	+	+	-	-

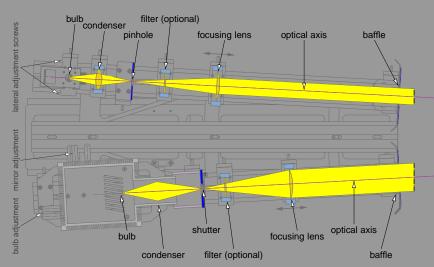
#### choice depends on:

- sample type
- wavelength range
- detector type

in the following: lamps kept at fixed positions alternative concepts: moving lamp, fixed sample

### example: pgll lamp subsystem

#### Halogen subsystem

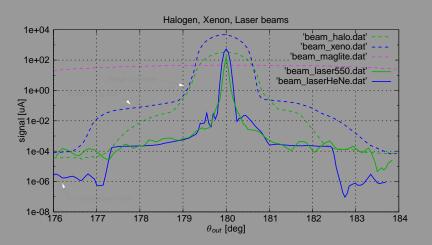


Xenon subsystem

# example: pgll lamp subsystem



#### example: beam profiles



### sample mount

- fixes sample (securely)
- $\square$  adjusts for  $\theta_{in}, \phi_{in}$
- two degrees of freedom manual adjustment or automatic
- minimal self-shadowing
- shading of stray light

in the following: vertical sample mount assumed

### example sample mounts



### example sample mounts

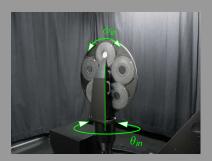




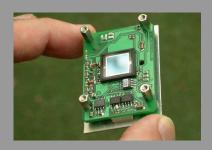
# example sample mounts





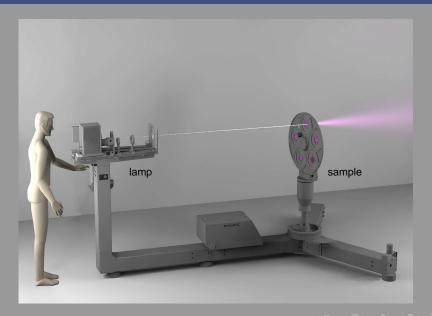


### detector parameters

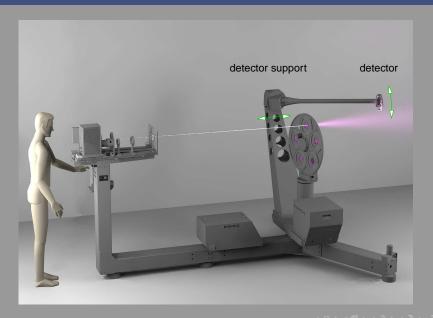


- material and wavelength: Si (VIS), InGaAs (IR), etc
- principle: photo-diode, etc
- sample rate: measurements / second: 1Hz to 1kHz
- noise: noise equivalent BRTF, lowest measurable BRTF
- dynamic range: 10<sup>2</sup> at least, 10<sup>8</sup> better

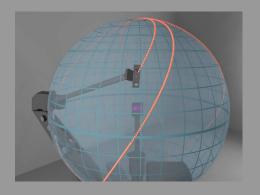
#### detector mechanics



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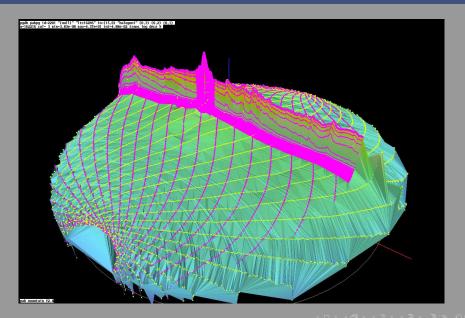


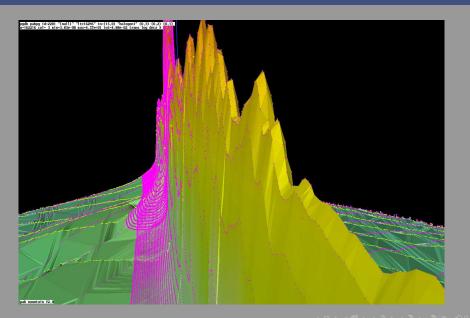
## scanning gonio-photometer

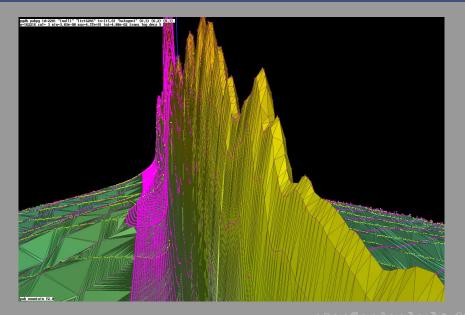


#### measurements-on-the-fly:

- avoid start-stop-cycles
- need excellent sync between position and data-acquisition
- need fast detector



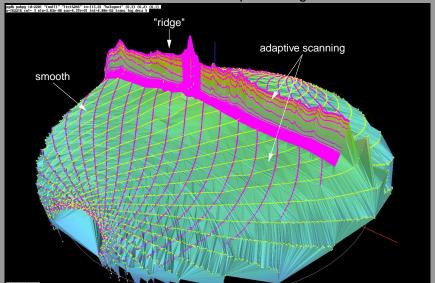




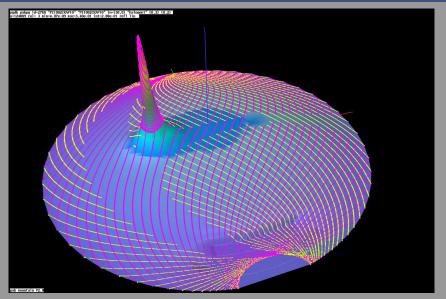
- in 3D,  $f(x_i, y_i)$  data points do *not* define a unique surface
- Delaunay triangulation recommended
- triangulation used for interpolation and integration
- $\_ \leadsto$  good triangulation vital for BRTF data processing

# adaptive high angular resolution

#### BRTF consists of smooth areas and peaks/ridges:

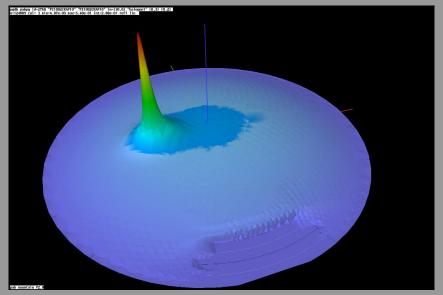


# checking for measurement errors implicitly



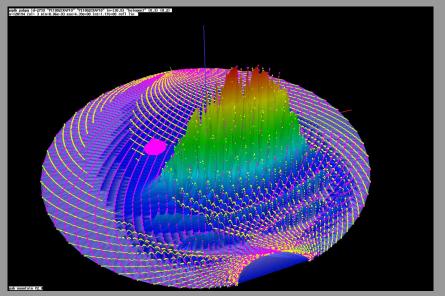
128109 data points all nicely smooth

# checking for measurement errors implicitly



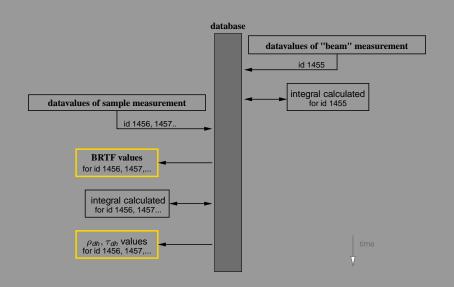
good.

# checking for measurement errors implicitly



ceiling lights on, 100Hz noise, (see SPIE 2010 paper for more)

#### getting BRTF from raw data



#### getting BRTF from raw data

advantages of using unscattered beam as reference

- illuminated area and detector distance cancel out
- no reference samples needed
- sensor identical for reference measurement

### imaging versus scanning gonio-photometers

alternative way of doing measurements:

imaging gonio-photometers

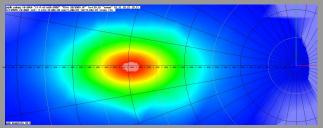
- + faster
- more intermediate optics, not as general

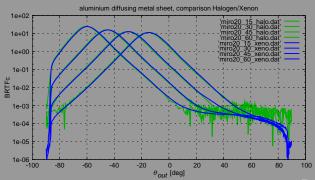
#### very short intermission

... questions to machine&measurement part?

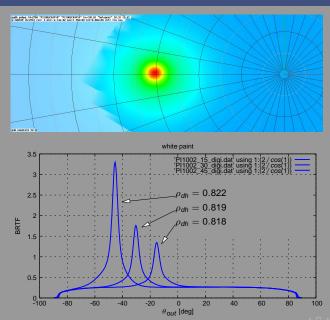
next to come: BRTF data &models

### example: aluminium

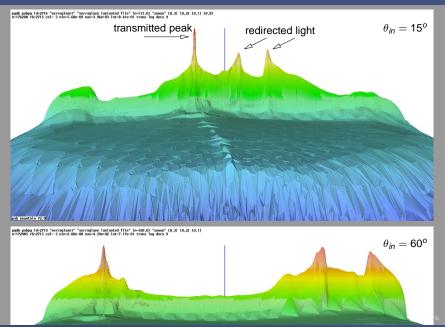




### example: white paint



# example: light redirecting, Serraglaze



### angular resolution of incident and outgoing side

#### both sides are *not* symmetric:

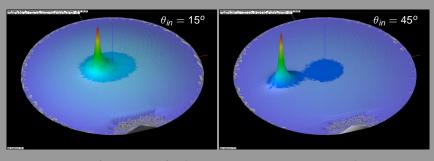
- outgoing side:
   adaptive, high resolution (0.1°)
- incident side:low resolution (10°)

#### since:

#### Theorem

in most cases the topology of a BRTF does not change between  $\vec{x}_{in}$  and  $\vec{x}_{in} + \Delta$ , for small  $\Delta$  (e.g. 20°)

### topology of a BRTF



- $\square$  structure ("topology") of BRTF remains the same for  $\triangle$
- shape parameters change: peak position, peak height, peak width, background level
- $\longrightarrow$  intermediate  $\theta_{in}$  are predictable.
- ightharpoonup measurements of finely resolved  $\theta_{\it in}$  are redundant
- don't waste time and data with these think of a good interpolation method

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- loading of compressed/processed data

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- → direct import is de-facto not supported

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- $\square$  use functions  $g_i$  to fit  $a_i$  to  $(\theta_{in}, \phi_{in})$

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- $\Box$  fit  $f_{a_1...a_N}(\theta_{out},\phi_{out})$  to one dataset of incident direction  $\vec{x}_{in}$
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- → model complete for outgoing and incident directions

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#### drawbacks:

- $\square$  requires that f and choice of  $a_1...a_N$  describe scattering well
- requires thinking for each material. not automatic.
- standard Levenberg-Marquardt method not 100% robust

### choice of model function

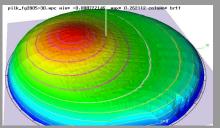
internal to Radiance (e.g. trans)

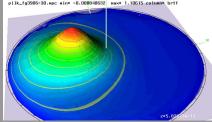
$$BRTF_{trans} = \frac{a_6 (1 - a_7)}{\pi} + \frac{a_6 a_7}{\pi a_5^2 \sqrt{\cos(\theta_{in})\cos(\theta_{out})}} \exp[(2\cos(\theta_{half}) - 2)/a_5^2]$$
 (6)

external (example)

BRTF<sub>cosgauss</sub> := 
$$a_1 + a_2(\cos \theta)^{a_3} + a_4 \exp(-\beta^2 a_5)$$
 (7)  
 $\beta$  :=  $\arccos[\cos(\theta)\cos(\alpha_{in} + a_6) - \sin(\theta)\cos(\phi_{out})\sin(\alpha_{in} + 10a_6)]$   
 $\theta$  :=  $\pi - \theta_{out}$ 

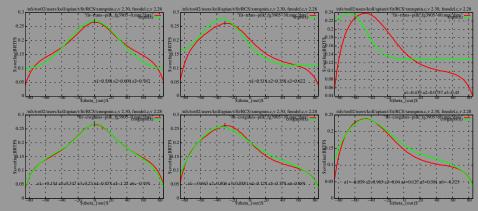
### example: fits to Pilkington fg3905, fg3906 in 1994





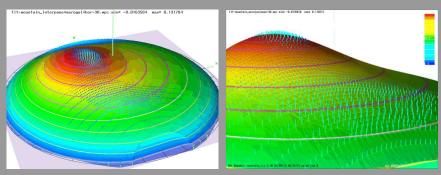
polymer/glass sandwich glazing, forward scattering, "milky" glazing

### fg3905 model comparison, in scattering-plane



note: see chapter 6 in author's 1995 dissertation for details

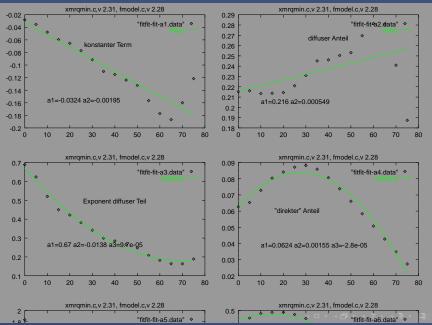
### fg3905 model comparison, off scattering-plane



deviation between model and data shown as spikes

fitting is done for all outgoing directions (not just in-plane) model may deviate outside the scattering plane

### example: Aerogel model, parameter variation



### conclusions for Radiance models

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- current models don't match measured data well
- better built-in models or cal-files seem worth considering

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cal file support for photon-map (and ambient calcs)→ support for general BRTF models

all these features require changes to the rendering core

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- BRTF import using non-fixed-grid data

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### what Radiance is missing

- cal file support for photon-map (and ambient calcs)

  → support for general BRTF models
- BRTF import using non-fixed-grid data
- way to add internal models in a modular way

all these features require changes to the rendering core

→ non trivial work. But would be very useful in practice.

### links

#### latest papers on pgll gonio-photometer & links:

- "Experimental validation of bidirectional reflection and transmission distribution measurements of specular and scattering materials,"
   SPIE 2010, Brüssel, http://dx.doi.org/10.1117/12.860889
- "New scanning gonio-photometer for extended BRTF measurements" SPIE 2010, San Diego, http://dx.doi.org/10.1117/12.854011
- currently installed pgll gonio-photometers:
   SERIS Singapore, LBNL Berkeley, pab Freiburg, industrial client Europe
- pgll gonio-photometer webpage: http://www.pab.eu
- author's 1995 Phd: http://www.pab-opto.de/pers/phd/

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### ...thanks

last slide.

- physics is fun
- happy rendering
- thank you for joining workshop and thanks for your attention