

Maximisation of building solar potential determined using Radiance

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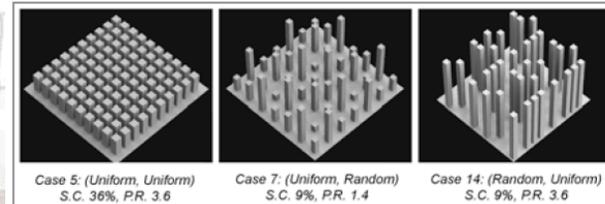
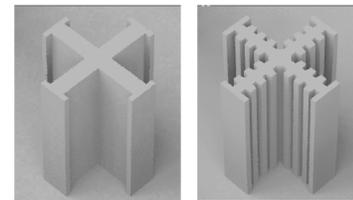
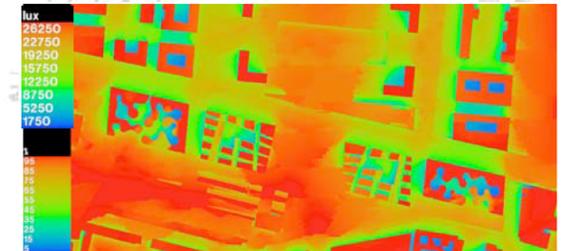
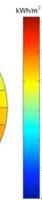
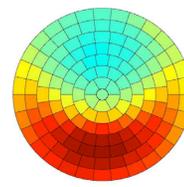
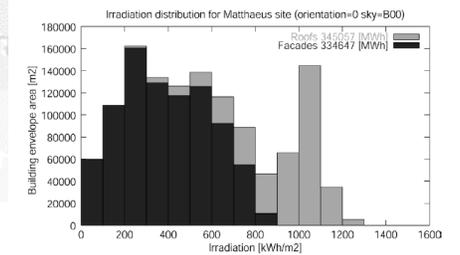
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- Previous work / Motivation
- Methodology
- Results
- Conclusion

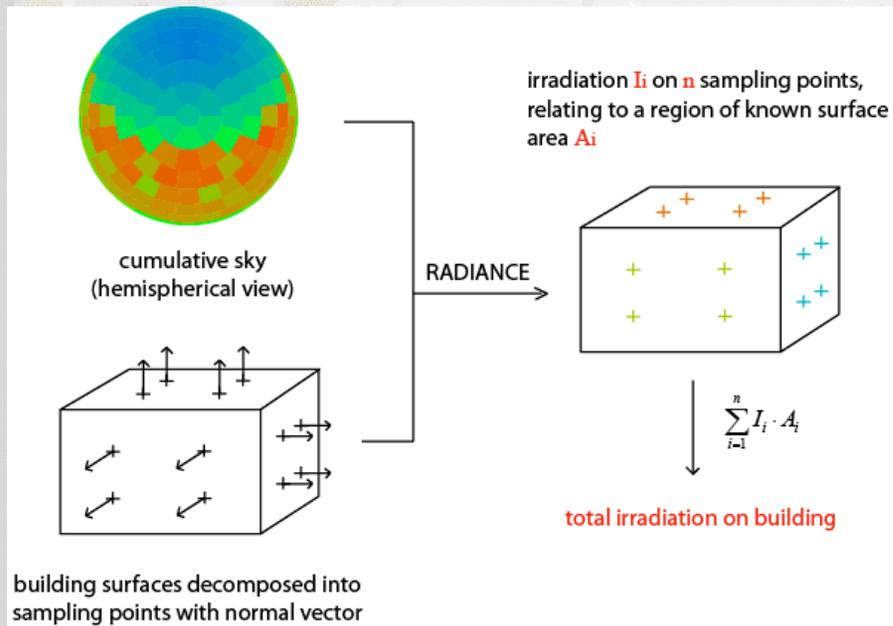
Previous work / Motivation

- Renewable Energy potential of urban sites

- Compagnon (2000)
 - Radiance, PPF – histogrammes
- Robinson (2004)
 - Cumulative sky
- Montavon (2006)
 - La Ville Radieuse (Le Corbusier)
- Cheng (2006)
 - Parametric study (18)



Methodology



Ambient calculation

-ab 2 -ad 1024 -as 512 -aa 0

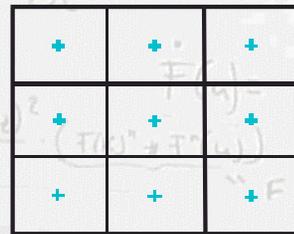
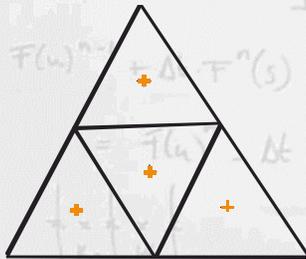
Parametrisation of the form

$$\vec{x} \in M \subseteq \square^n$$

Maximisation

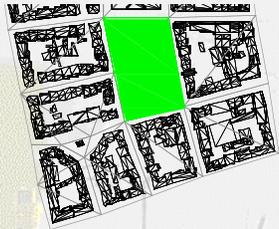
$$\sup \{ f(\vec{x}) \mid \vec{x} \in M \subseteq \square^n \}$$

Using Evolutionary Algorithms



First study

Parameterisation



$$\vec{T}' = A\vec{T} + \vec{b}$$

$$G_E(\dots)$$

$$\frac{2\pi i k_z \cdot G_E(T)}{N} = A \cdot G_E(T) + G_E(S)$$



$$u(z,t); s(z,t)$$

$$\frac{\partial u}{\partial t} = \frac{\partial}{\partial z} \left(\kappa \cdot \frac{\partial u}{\partial z} \right) + s$$



$$F(u) = \frac{1}{N} \sum_{k=0}^{N-1} u(z,t) \cdot \exp(-2\pi i k_z z)$$

N-1

$$G_E(T) = \left(\frac{2\pi i k_z \cdot 1 - A}{N} \right)^{-1} \cdot G_E(S)$$



• Define sampling

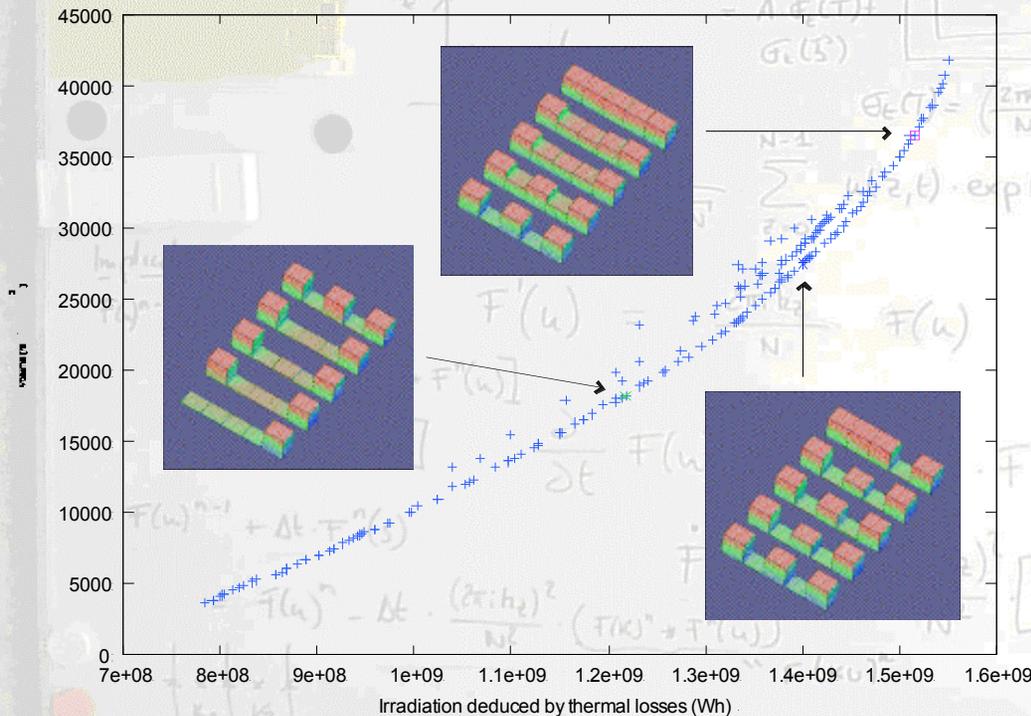


Irradiation deduced by the steady-state thermal losses

CISBAT'07 proceedings

Second study

Irradiation deduced by the steady-state thermal losses BUT taking the volume of the urban form as second objective



Terraces Flat Roofs

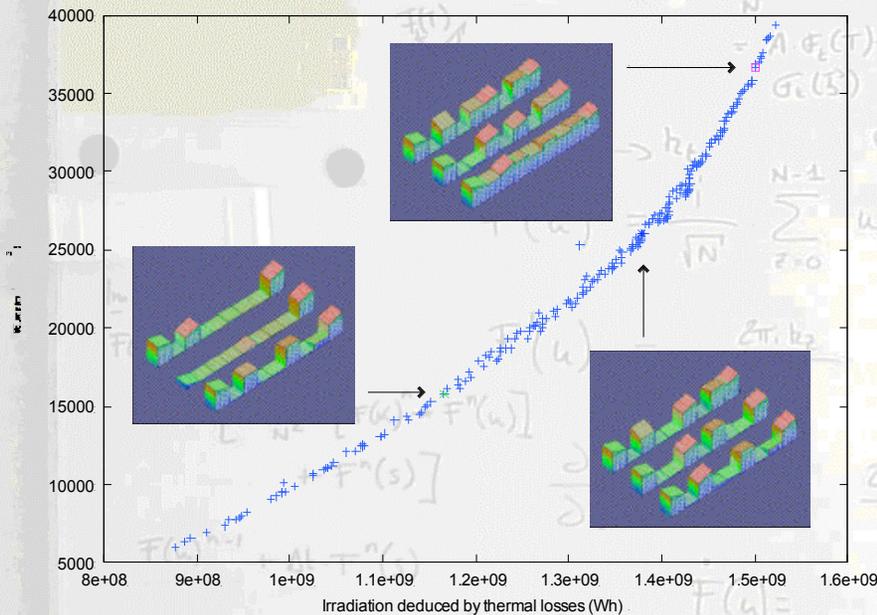
Pareto Front
(compromise)

Results to appear in:

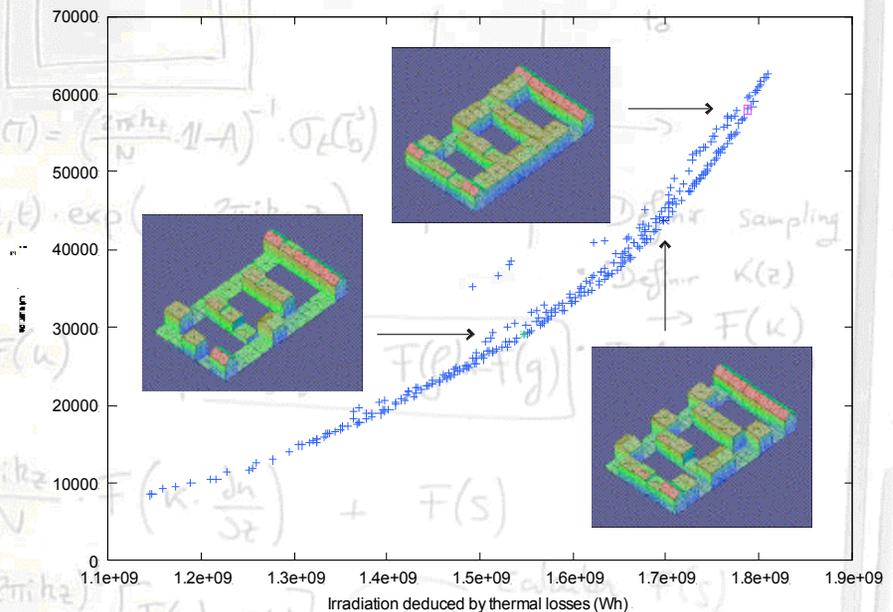
Special Issue Solar Energy
after CISBAT

Second study

Irradiation deduced by the steady-state thermal losses **BUT**
 taking the volume of the urban form as second objective



Slabs Sloped
Roofs



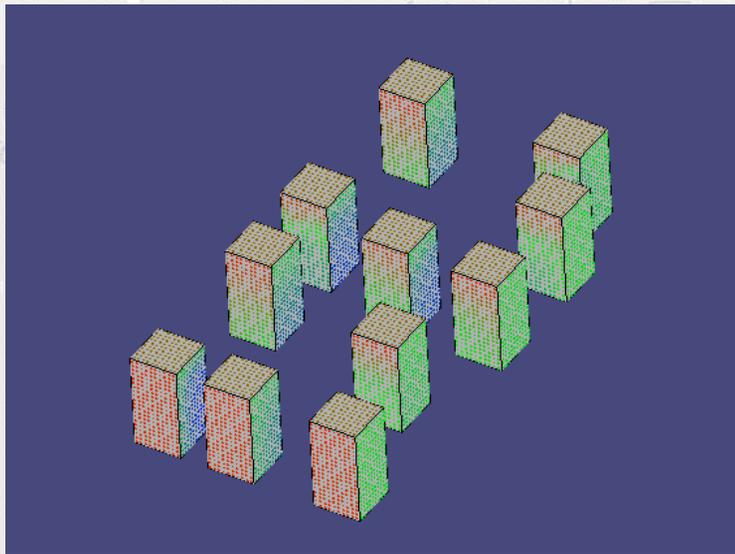
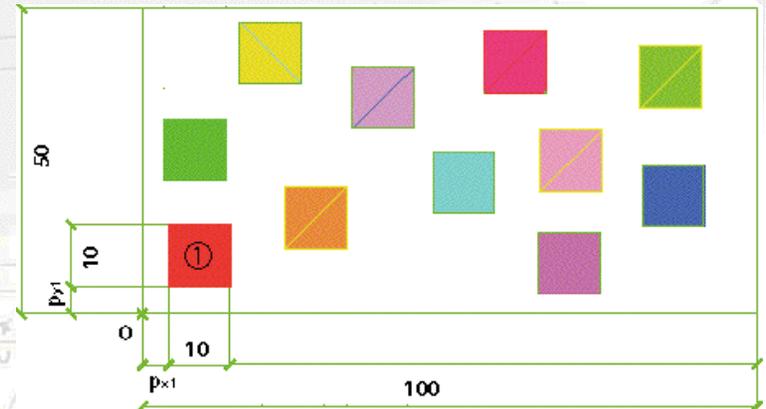
Terrace Courts

Third study

Placement of buildings on a ground

Self-constrained problem

→ shadowing effect

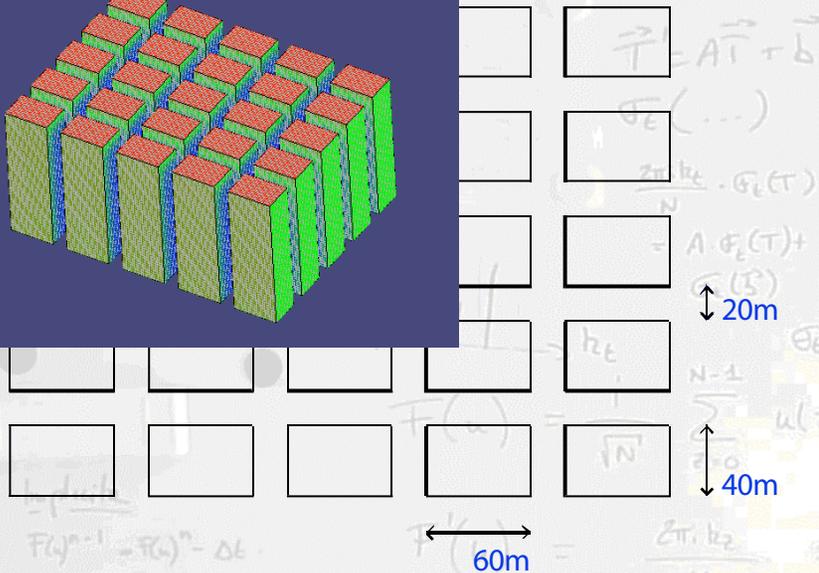
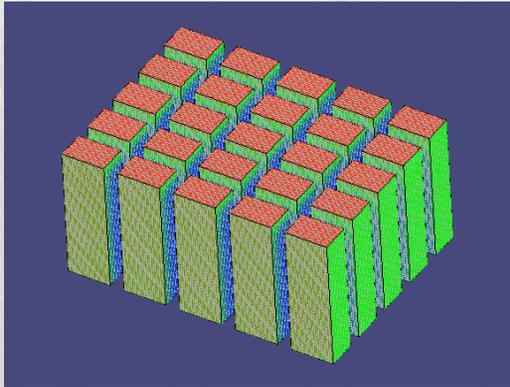


Using a hybrid CMA-ES/HDE

Appearing in:

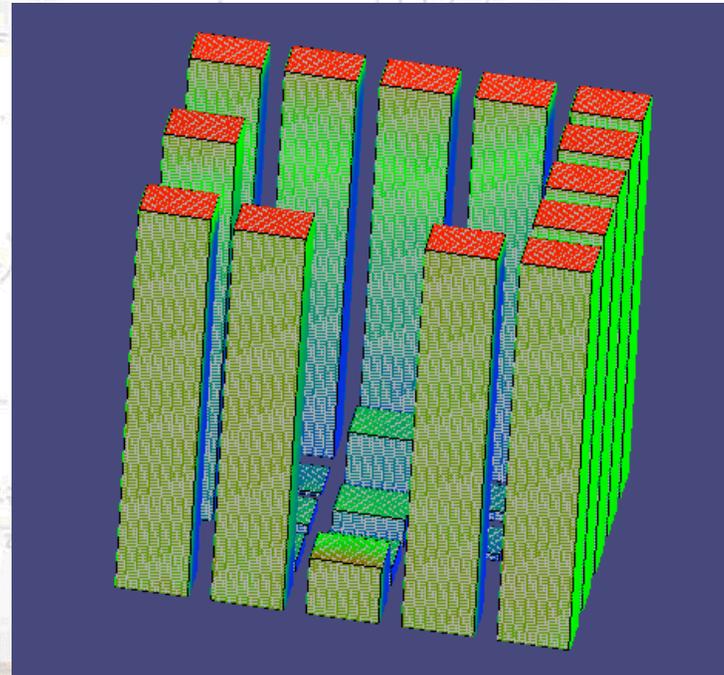
Applied Soft Computing

Fourth study



Heights parameterisation

$$\{\vec{x} \in \mathbb{R}^{25} \mid x_i \in [0, 123], i = 1..25\}$$



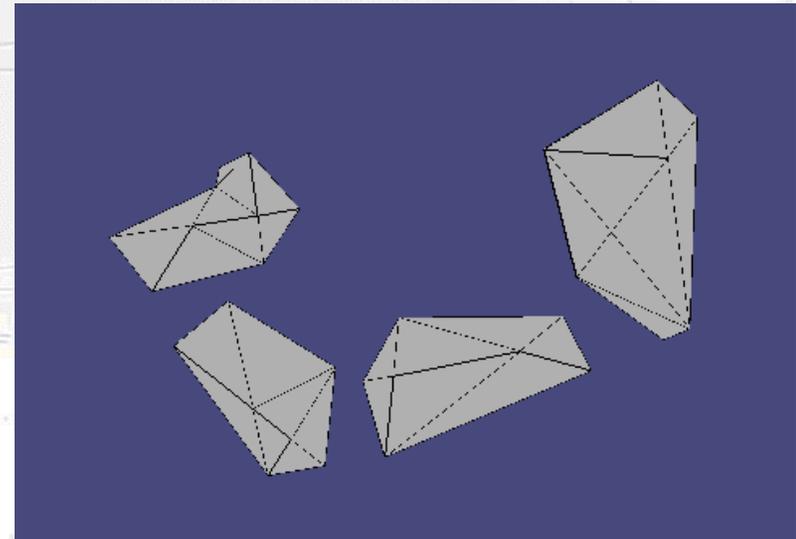
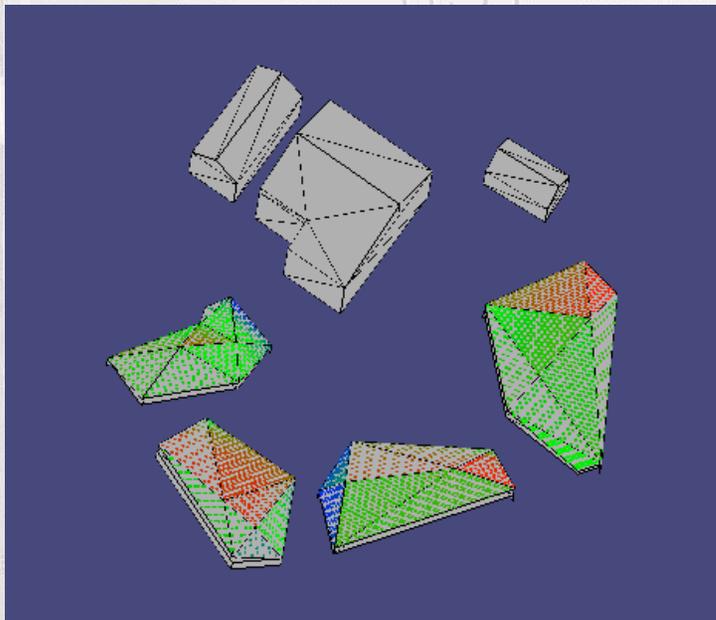
Volume constraints

Within 10% of half the maximum

Fifth study

Heights parameterisation

$$\{\vec{x} \in \mathbb{R}^{31} \mid x_i \in [3, 6], i = 1..31\}$$



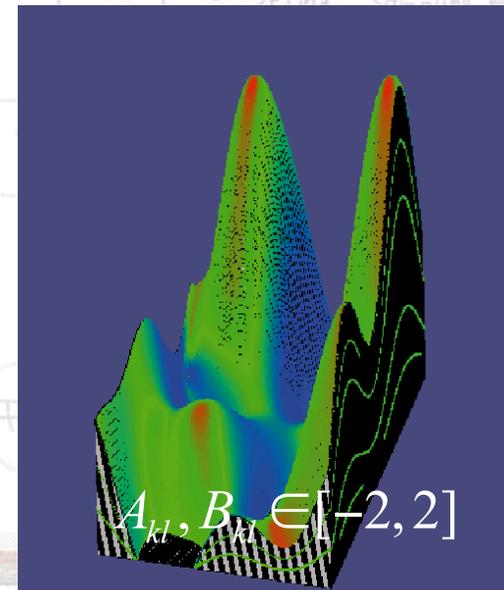
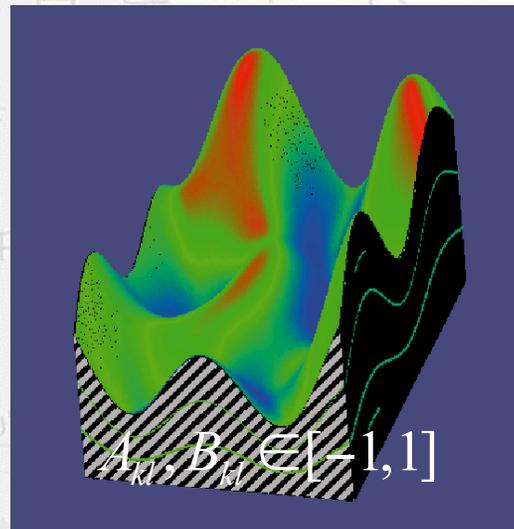
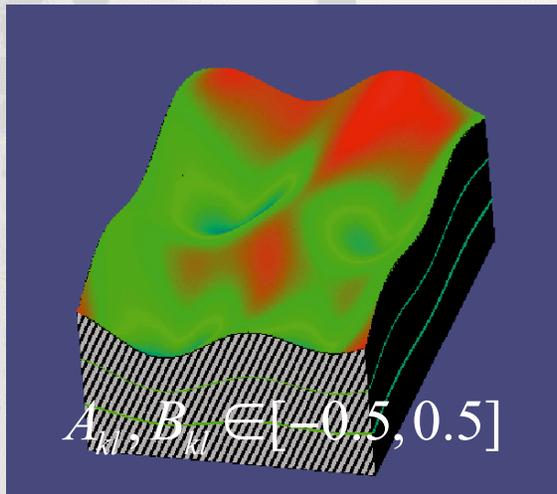
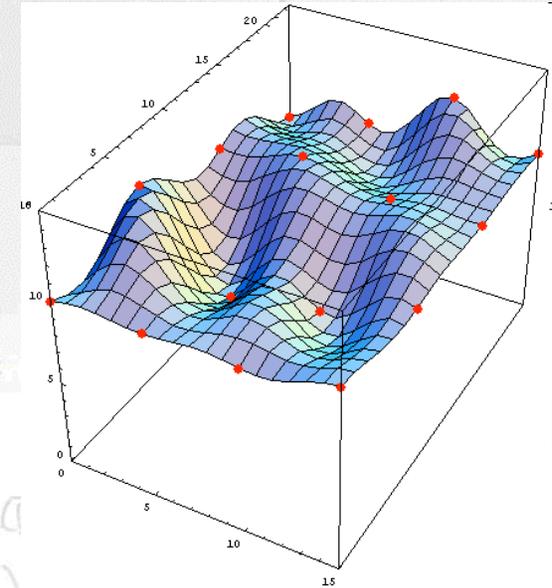
Constraints: Convex shape

Sixth study

$$h(x, y) = \sum_{k=-2}^2 \sum_{l=0}^2 A_{kl} \cdot \cos\left(2\pi \cdot \left(\frac{x}{L_x} + \frac{y}{L_y}\right)\right) + B_{kl} \cdot \sin\left(2\pi \cdot \left(\frac{x}{L_x} + \frac{y}{L_y}\right)\right)$$

Fourier series

25 parameters



Conclusion

RADIANCE is as very convenient tool for research:
Linux command line operations are very efficient

To speed up calculations, evaluations were parallelised

Thank you for your attention!

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